



A blind source separation approach for humpback whale songs separation

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Outline

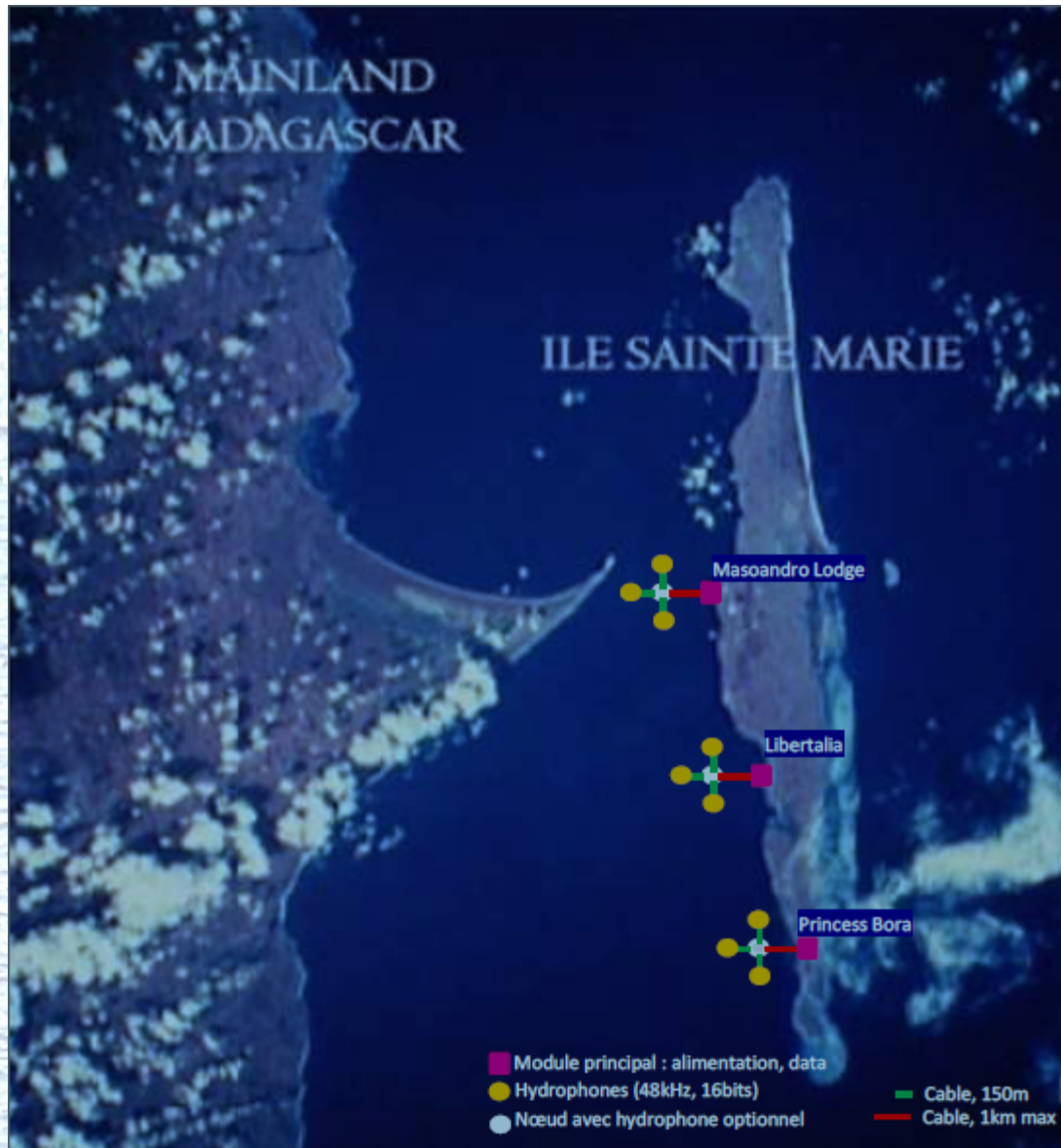
- Background and objectives
- Method
 - Principles Underlying Blind Source Separations
 - The method we employ
- Results
- Conclusion

Background

- We are interested in automated methods to assist with the study of the songs of humpbacks in the Ste Marie channel, Madagascar.
- In this area there is a high density of singers.

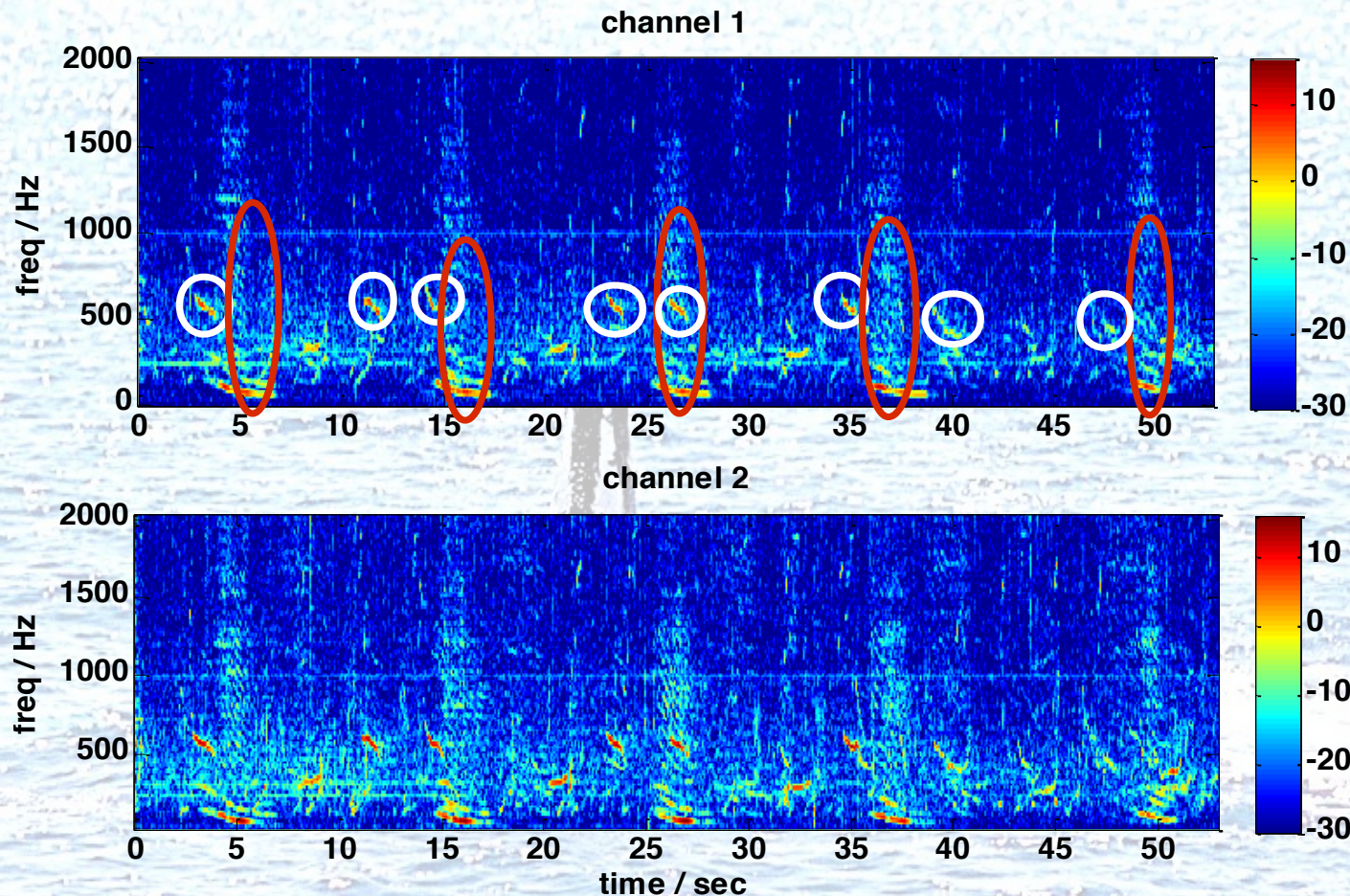


The Fixed Acoustic Arrays



The Problem

- Recordings always (?) contain the song of many singers – we would like to take such recordings and decomposed them into the songs of individuals.



The Human Equivalent

- In a room with many speakers talking at once we are able to focus on one speaker at a time.
- This is “easy” for us to do.... much harder to get a computer to achieve.
- Is generally called the “cocktail party” problem.



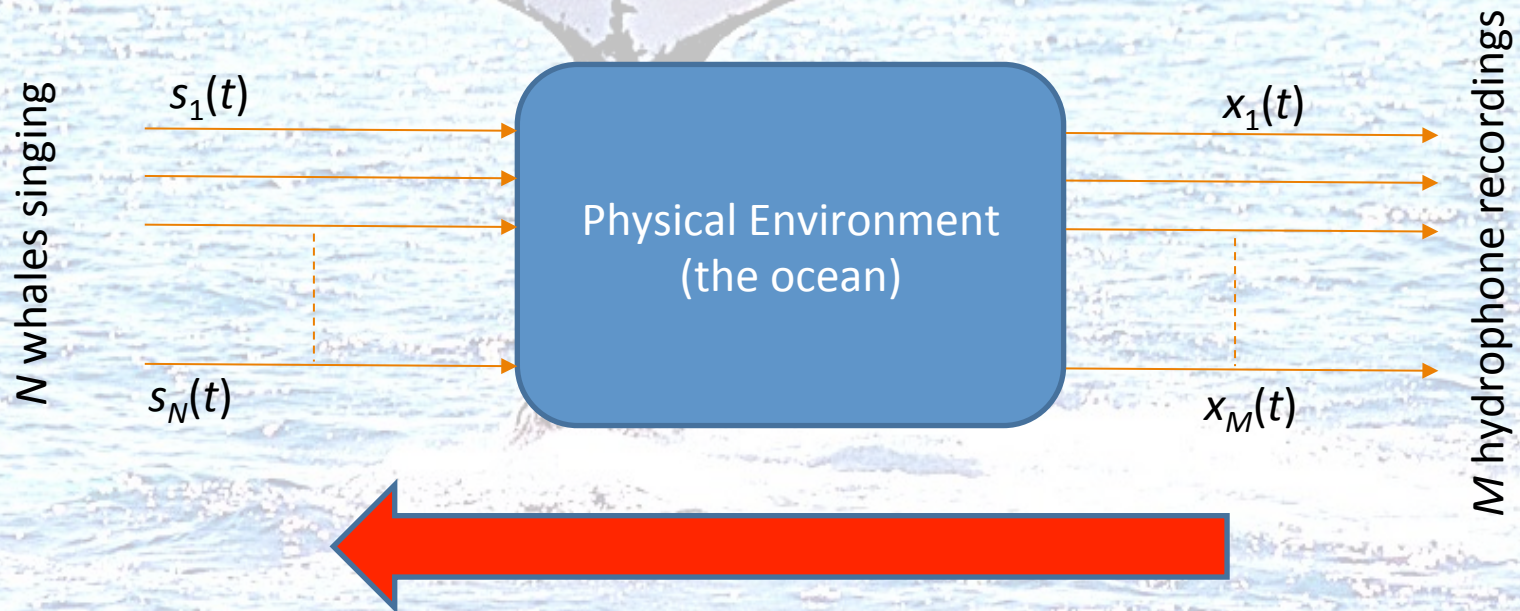
- Focus of much recent signal processing interest
 - As you will see it is a long way from being completely solved!

Blind Source Separation

- What is **Source Separation**?

- A definition of source separation might be:

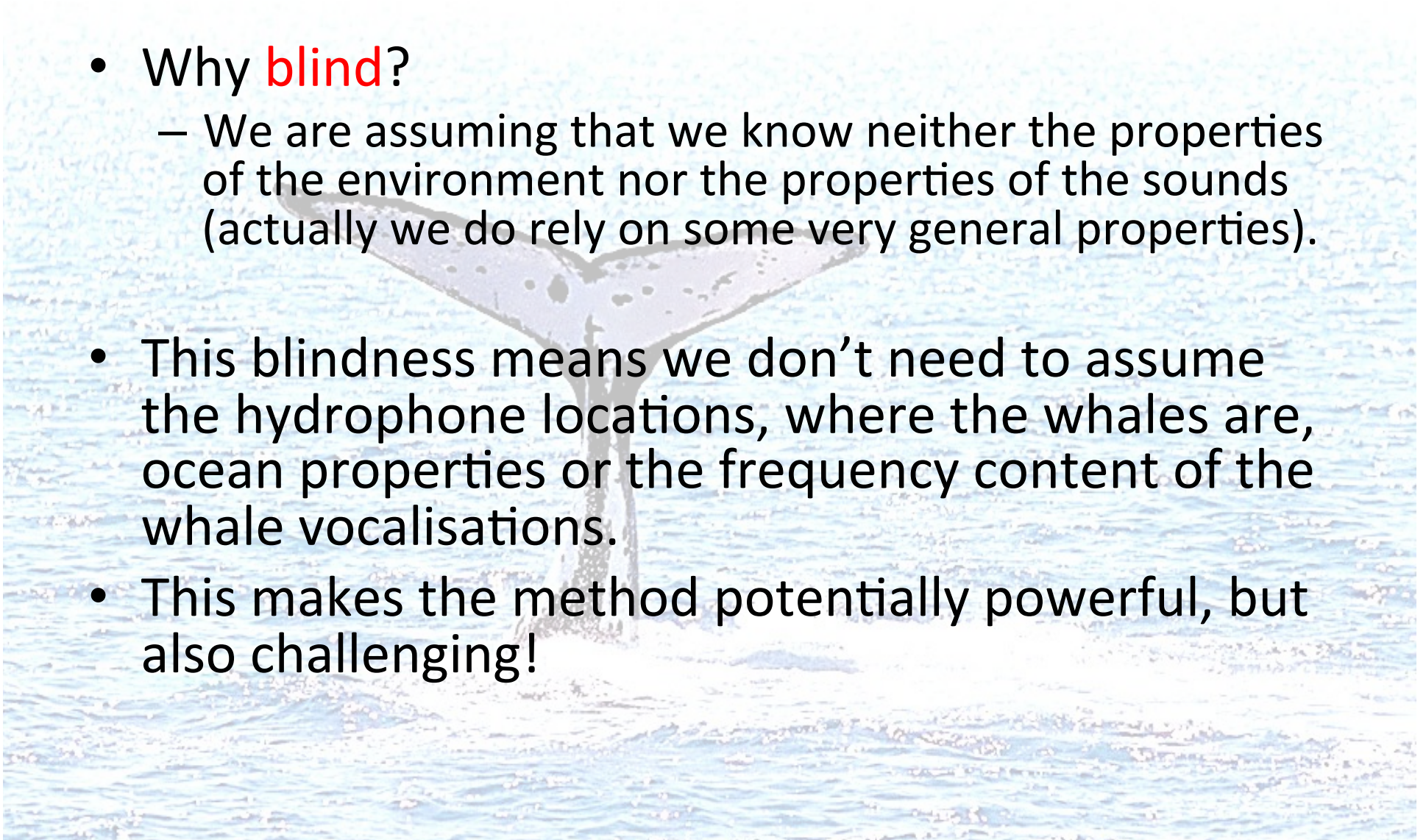
Given a set of N measured signals $x_m(t)$ ($m=1,\dots,M$) can one estimate the N source signals, $s_k(t)$ ($k=1,\dots,N$) that were combined to form the measurements?



We want to go from the measurements back to the sounds from each whale

Blind Source Separation

- Why **blind**?
 - We are assuming that we know neither the properties of the environment nor the properties of the sounds (actually we do rely on some very general properties).
- This blindness means we don't need to assume the hydrophone locations, where the whales are, ocean properties or the frequency content of the whale vocalisations.
- This makes the method potentially powerful, but also challenging!



The Key to Solving a BBS Problem is Statistical Independence

- We assume the whales sing independently.
- The measurements of the song will not be independent (in general).
- If we can process the data to restore statistical independence then we can claim to have unmixed sources.
 - There will remain the amplitude and permutation uncertainties.
- Such methods, based on independence, are called **Independent Component Analysis**

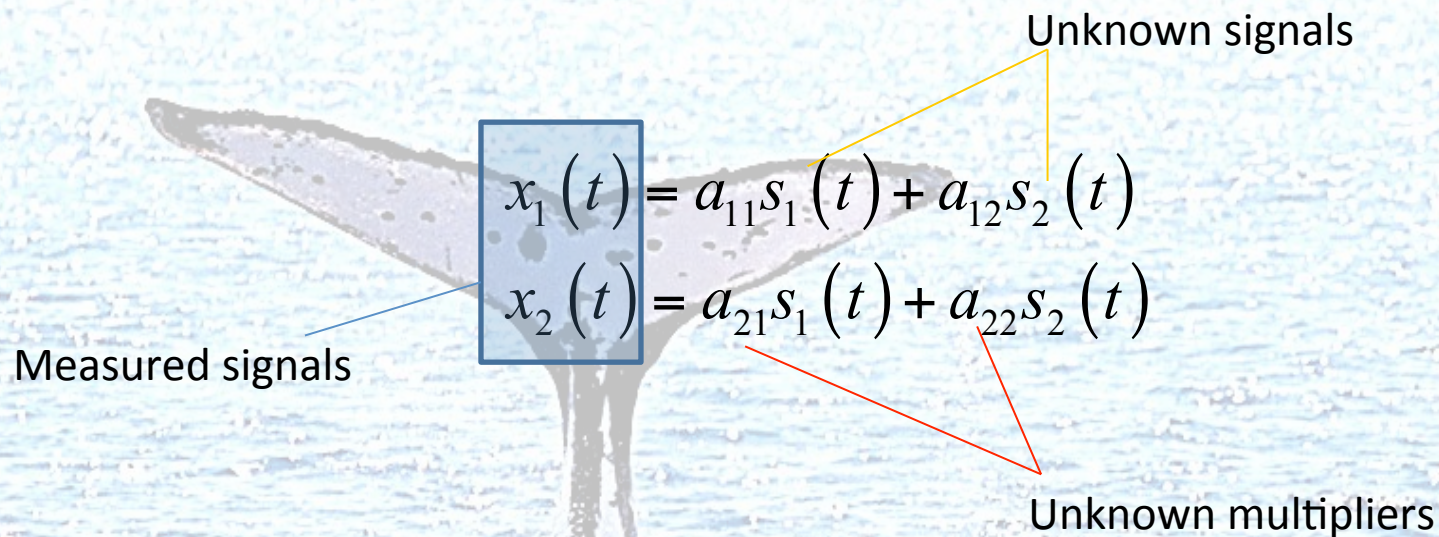
Grades of BSS Problem

- Various algorithms exist, based on different complexities of the model for the environment:
 - Instantaneous mixtures
 - Assumes **no** delays between measurements
 - Not suitable for acoustics, good for electromag.
 - Easiest problem, largely already solved.
 - Anechoic
 - Assumes **only** delays and gains.
 - Maybe suitable for simple acoustic environments
 - Convolutional
 - Includes reflections, so models realistic acoustic scenarios.
 - Difficult to solve.



The Simplest BSS Problem

- Consider the following problem



The diagram illustrates the simplest BSS problem. It features a blue box containing two equations. A blue line points from the text 'Measured signals' to the box. A yellow line points from the text 'Unknown signals' to the $s_1(t)$ and $s_2(t)$ terms in the equations. A red line points from the text 'Unknown multipliers' to the a_{11} , a_{12} , a_{21} , and a_{22} terms in the equations.

$$\begin{aligned} x_1(t) &= a_{11}s_1(t) + a_{12}s_2(t) \\ x_2(t) &= a_{21}s_1(t) + a_{22}s_2(t) \end{aligned}$$

Measured signals

Unknown signals

Unknown multipliers

- We only know the x_i , not the a_{ij} or s_i
 - a seemingly intractable problem?
 - Assuming independence of s_i then we can solve this problem to within a couple of ambiguities.

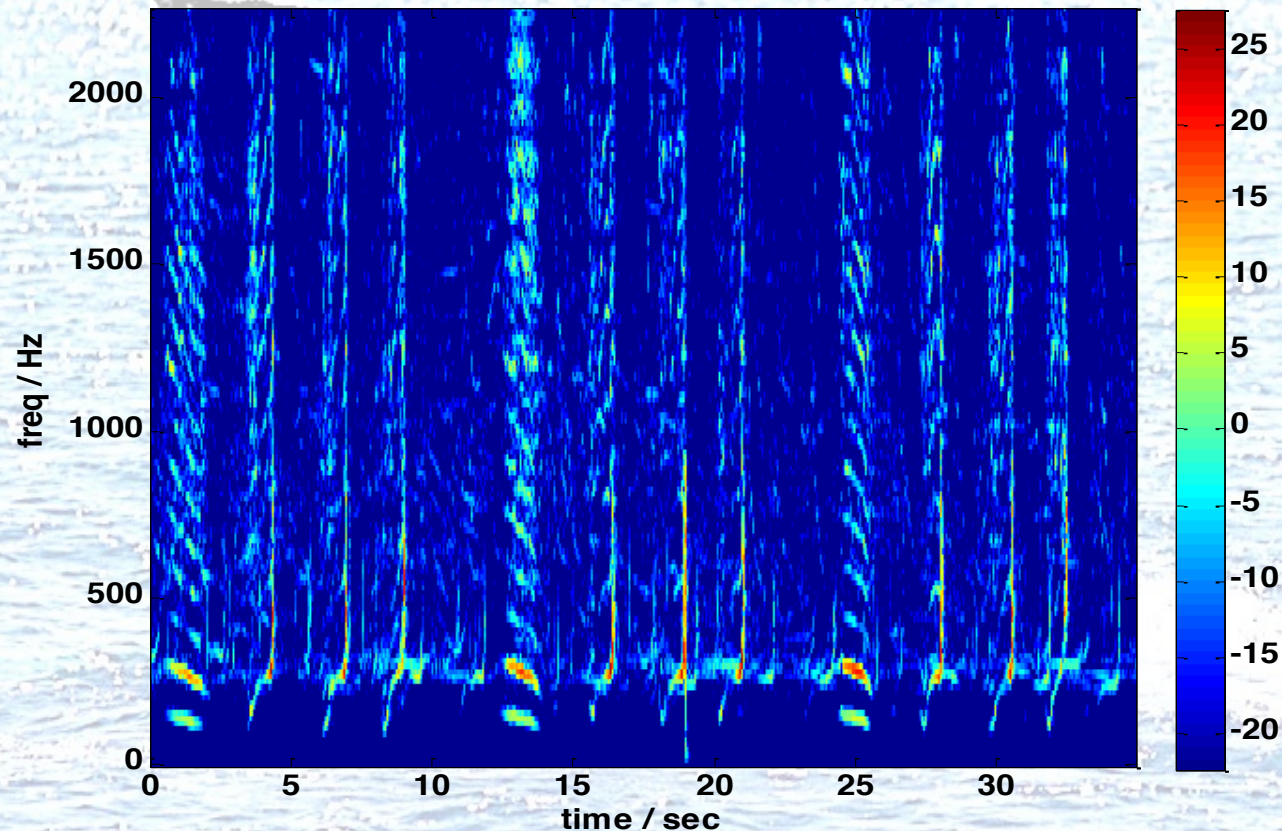
Ambiguities

- If we can find a solution then there are two insurmountable ambiguities.
 - 1) Permutation ambiguity
 - The solutions $\hat{s}_1 = s_1, \hat{s}_2 = s_2$ and $\hat{s}_2 = s_1, \hat{s}_1 = s_2$ are equally valid.
 - 2) Scale ambiguity
 - The solutions we can half the a coefficients and double the estimated signals and still have a valid solution.
- For our method the permutation ambiguity represents the greater challenge.

Sparsity in Time and Frequency

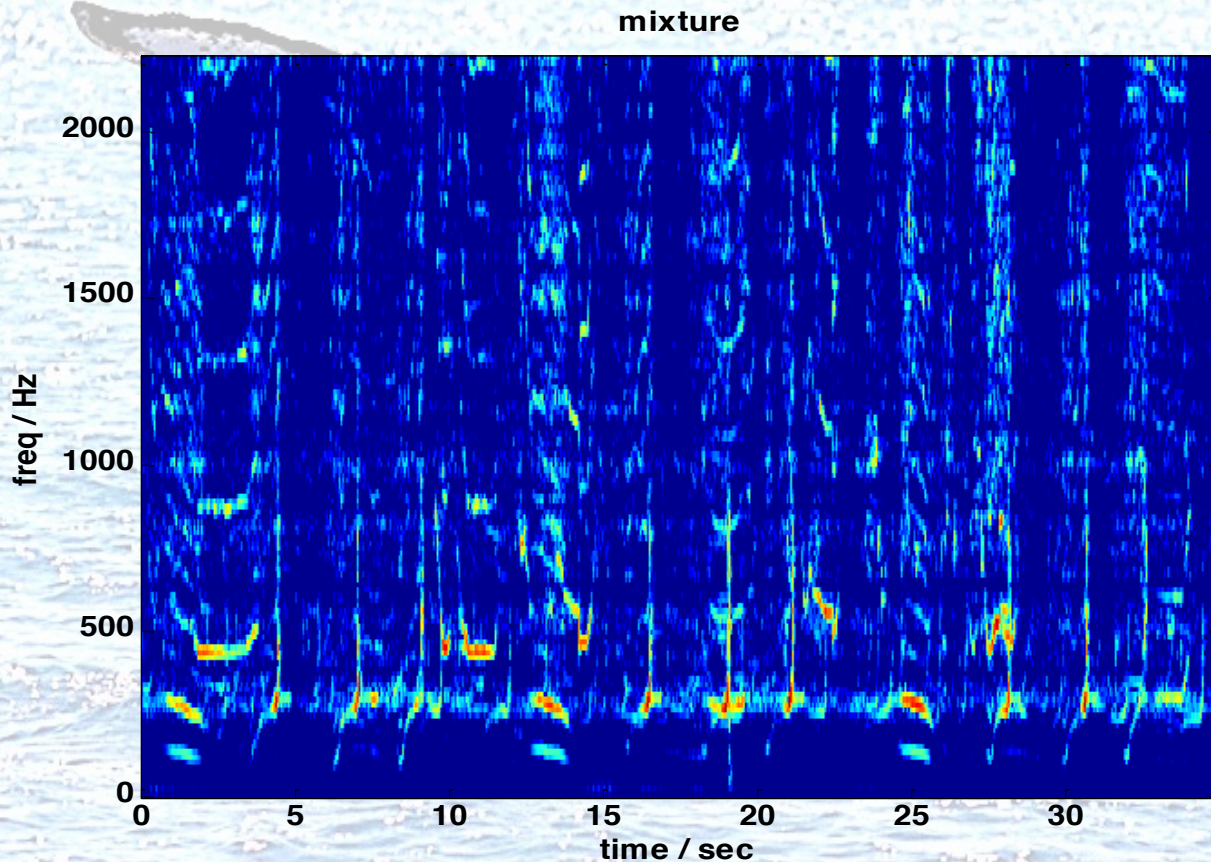
- The solution we adopt relies on the idea of sparsity.
- In the time-frequency domain the song of one whale occupies only a small proportion of the TF bins.

Spectrogram of a single whale



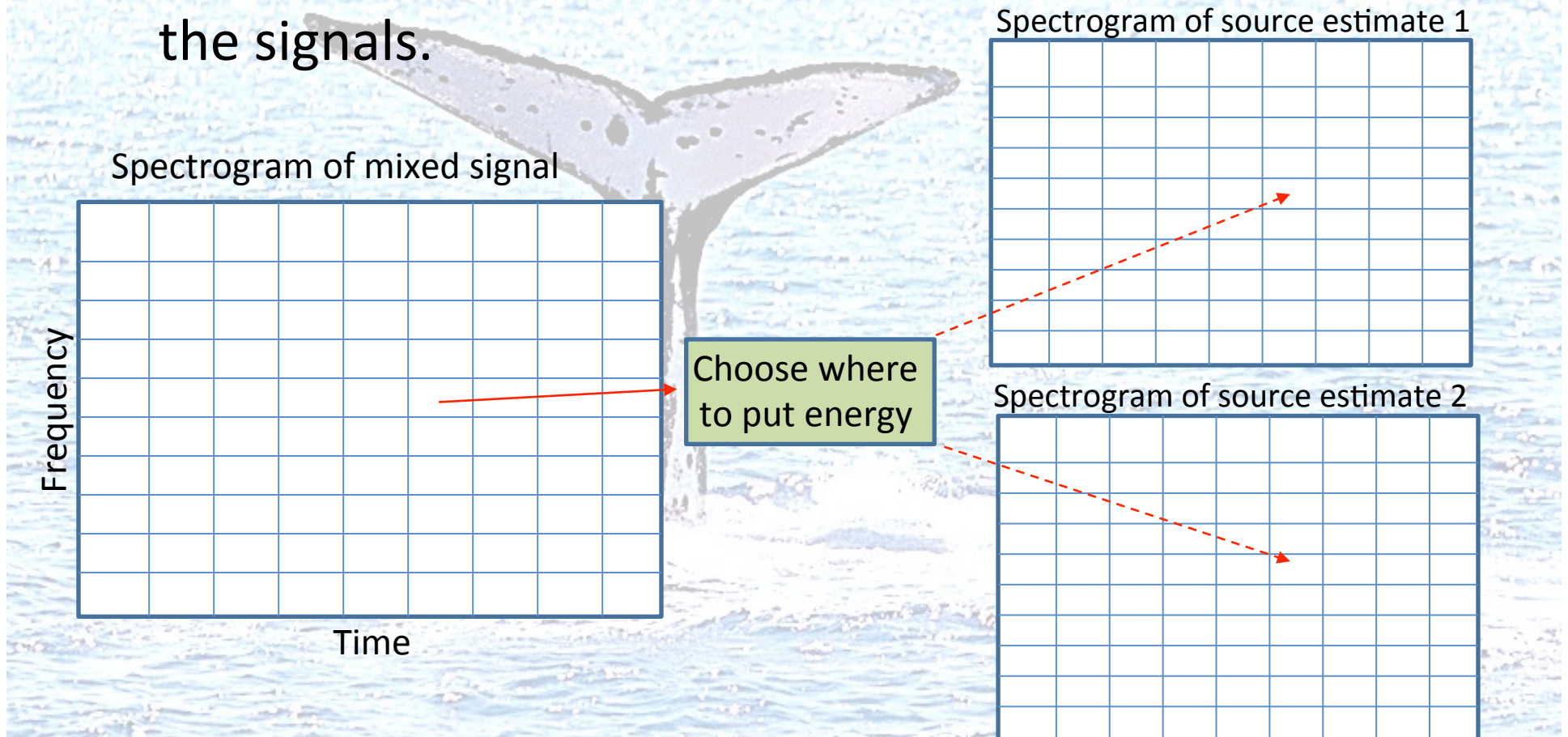
W Disjoint Assumption

- We assume that at each point in time-frequency one energy from one whale dominates over the others.



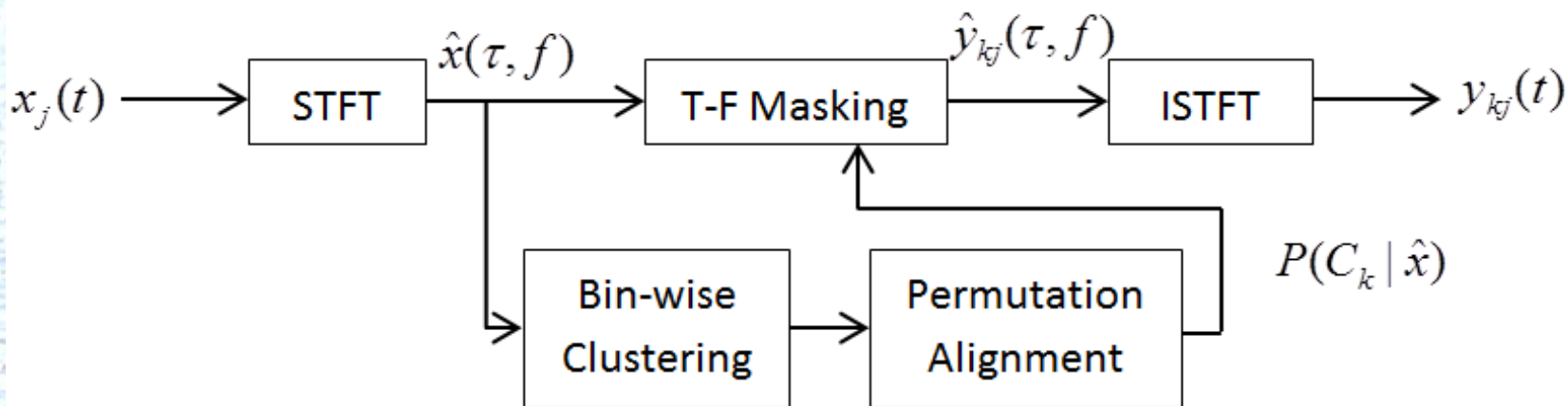
Time Frequency Masking

- Because the signals are W-Disjoint then one can aim to allocate each TF bin of the **mixed** signal to one of the signals.



The Sawada algorithm

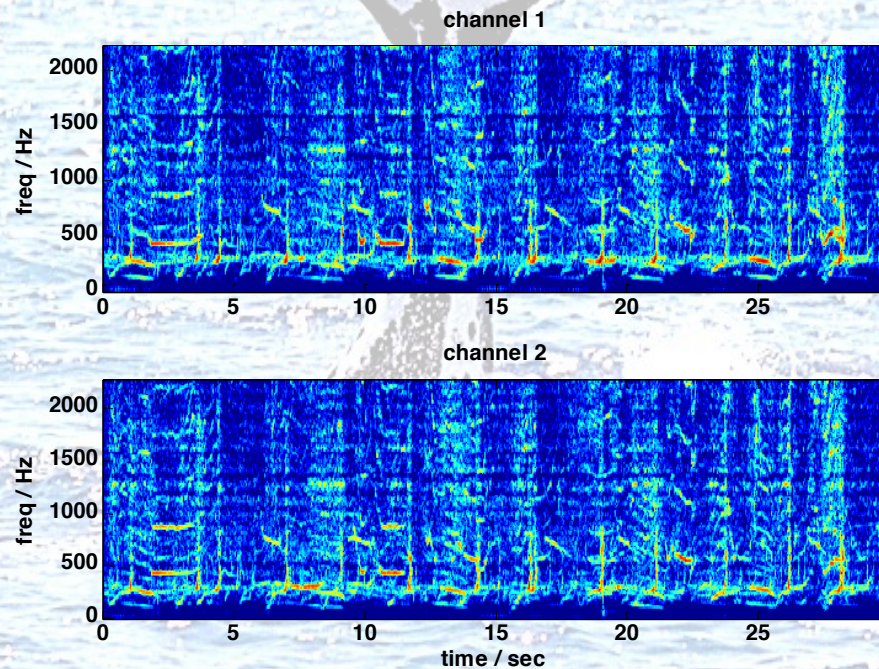
- It performs separation via the **bin-wise clustering** and **permutation alignment**.



The Sawada algorithm system block diagram

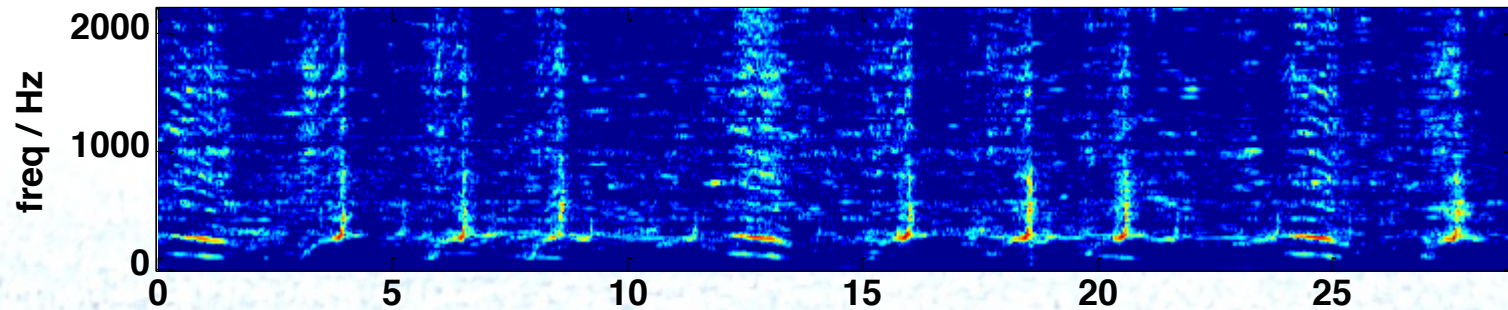
Simulated Data

- We take a pair of high quality HW song recordings.
- Use a standard underwater acoustic propagation model (RAM) to simulated the environment.
 - Assuming: a constant depth, homogeneous sound speed, and a sandy seabed.
- From that we generate impulse responses assuming 3 locations for the sources (whales) and 2 hydrophones.

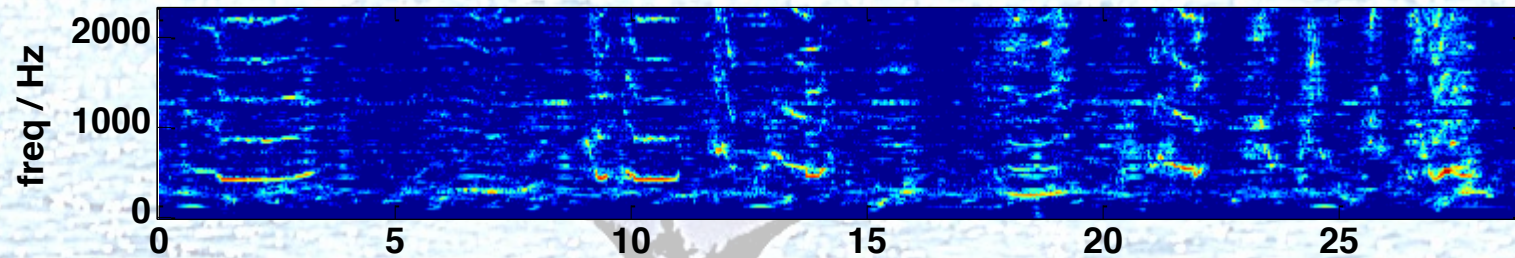


Under-determined

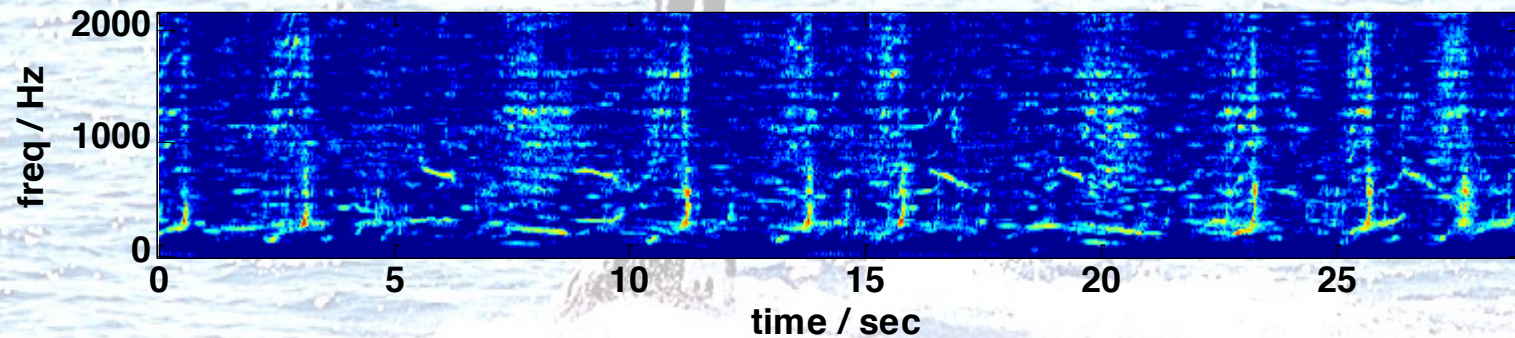
separated source 1 at channel 1



separated source 2 at channel 1

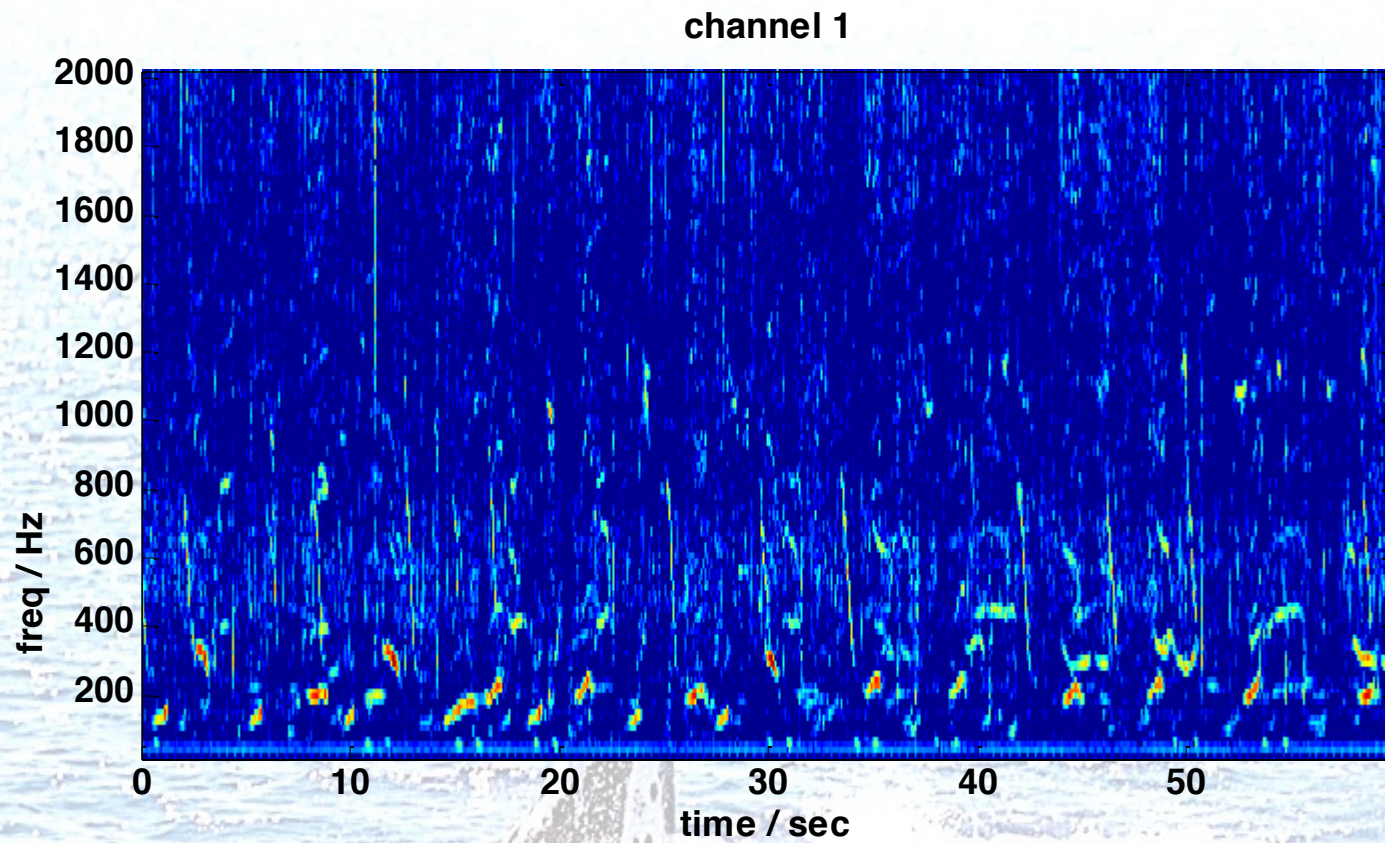


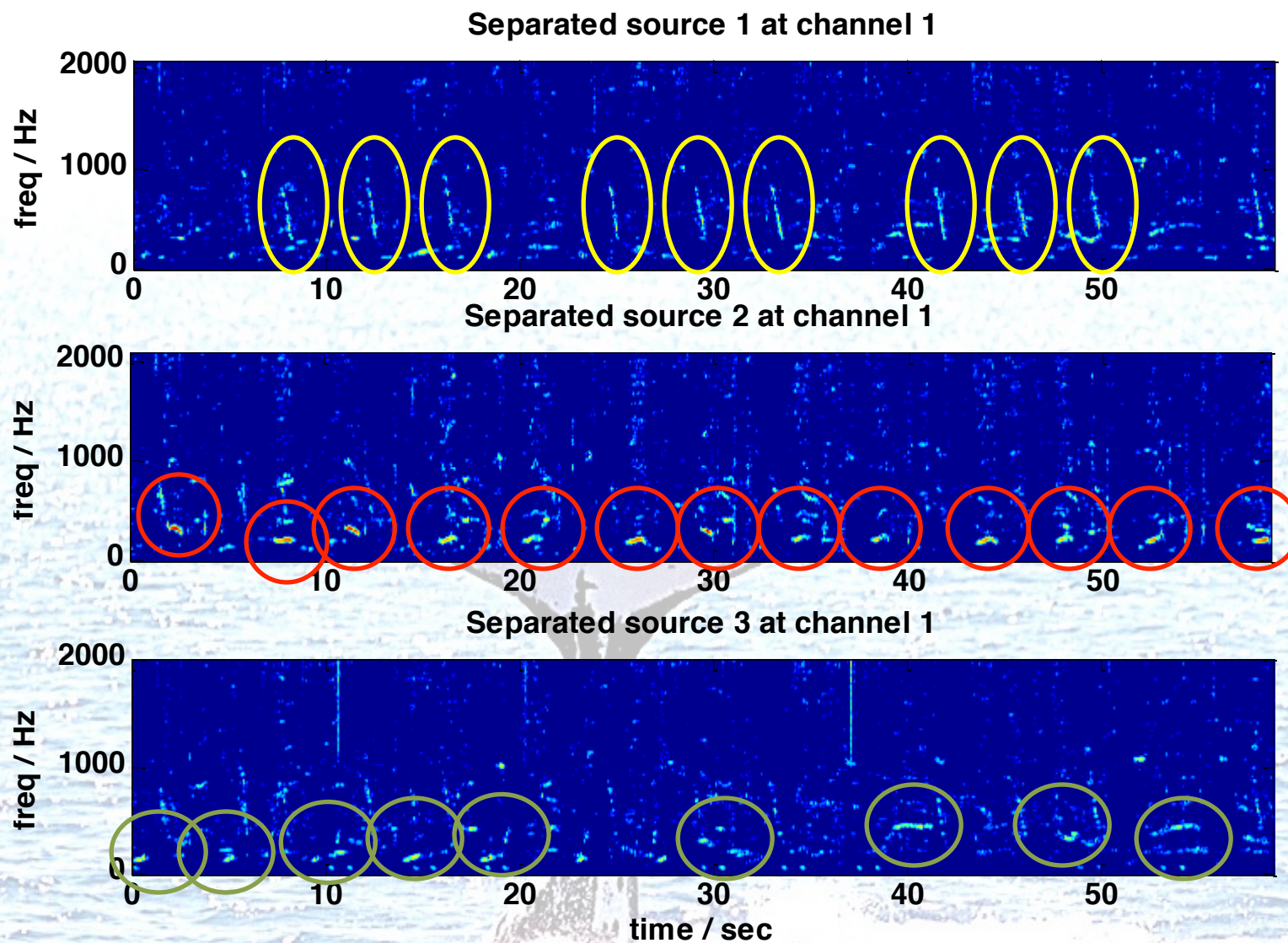
separated source 3 at channel 1



The separation performance is evaluated in terms of the signal-to-distortion ratio (**SDR**).

Real recording from Madagascar





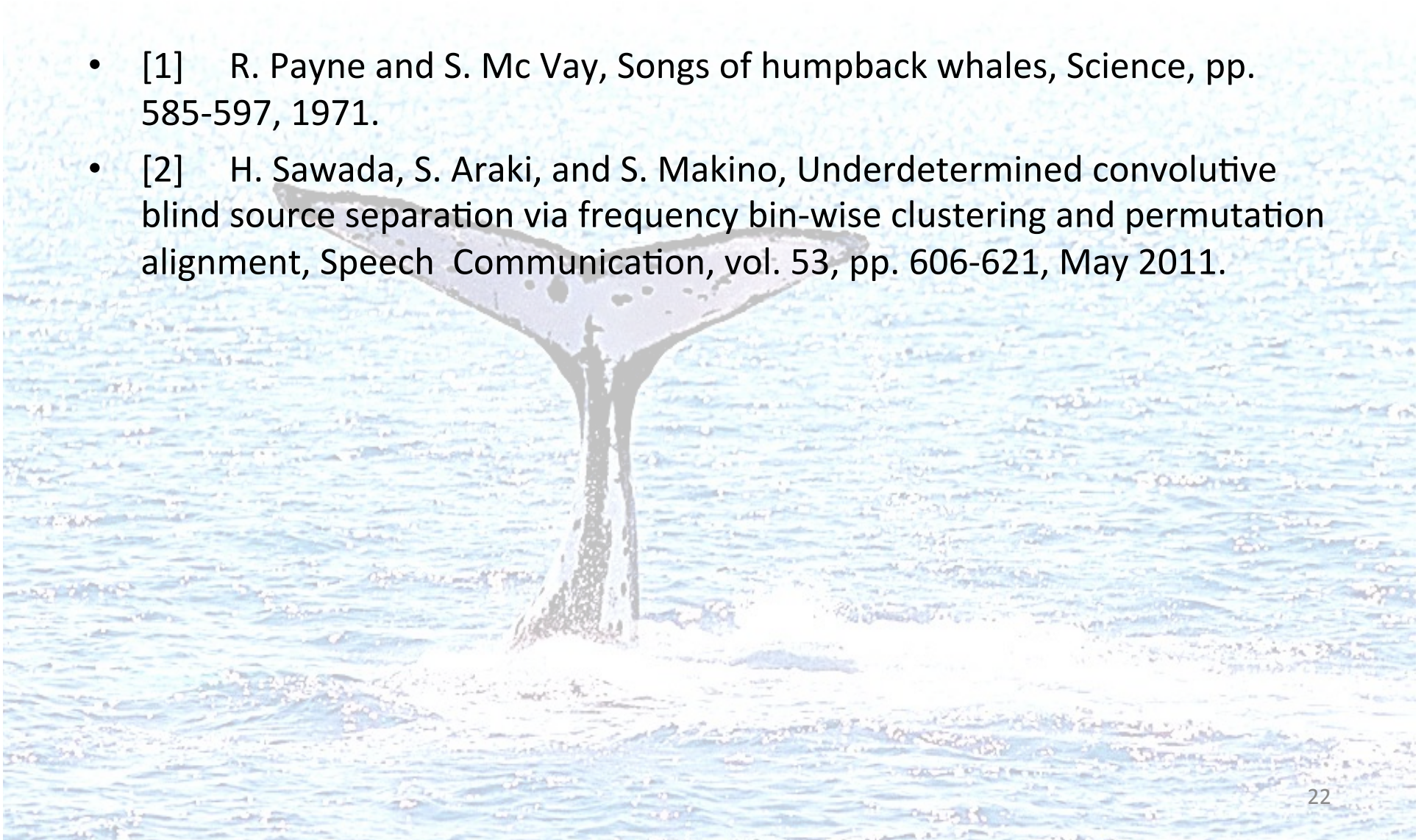
Due to the fact that the true source information is unavailable, the SDR cannot be evaluated.

Conclusion

- The Sawada algorithm combined with noise reduction significantly improves source separation performance of real recording in severe noise environments.
- We are currently working on automatically estimating the number of sources, and will continue focus on that in the future.

References

- [1] R. Payne and S. Mc Vay, Songs of humpback whales, Science, pp. 585-597, 1971.
- [2] H. Sawada, S. Araki, and S. Makino, Underdetermined convolutive blind source separation via frequency bin-wise clustering and permutation alignment, Speech Communication, vol. 53, pp. 606-621, May 2011.



Thank you!



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